

# Renaissance of the sigma meson, is it interesting?

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UJK, Kielce, 10.05.2014

sigma meson:  $f_0(500)$ , former  $\sigma$

- **What** is it? (basic)
- **Why** we are interested in?
- **How** we analyze it?
- **What** it really can be?

## $f_0(500)$ or $\sigma$ : What is it?

- scalar-isoscalar meson i.e.  $J^{PC} I^G$ :  $0^{++}0^+$ ,
- lightest and widest: mass and width  $\approx 500$  MeV,
- hadronic decay channel: 100%  $\pi\pi$ ,
- dramatic history:
  - until 1976 called  $\epsilon$  or  $\sigma$ ,
  - disappeared from Particle Data Tables between 1978 and 1992,
  - since 1994:  $f_0(400 - 1200)$ ,
  - in years 2002-2010:  $f_0(600)$ ,
  - now (since 2012):  $f_0(500)$
- Renaissance of the sigma meson:

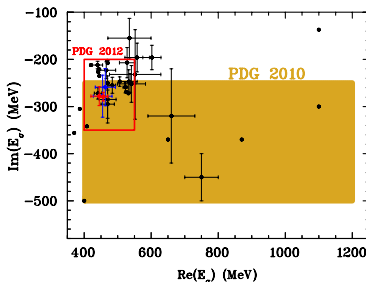
$$M_\sigma = \text{Re}(E_\sigma), \Gamma_\sigma = -2 \times \text{Im}(E_\sigma)$$

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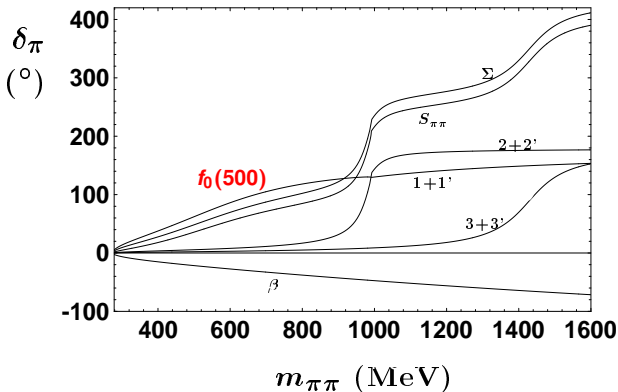


## Why *we are interested in?*

- because it is a scalar-isoscalar meson and can be the lowest glueball state or mixture of  $q\bar{q}$ ,  $qq\bar{q}\bar{q}$  and  $gg$ ,
- quite interesting neighborhood:  $f_0(980) - K\bar{K}$  state?,  $f_0(1370) - ?$ ,  $f_0(1500) -$  the lowest lattice  $gg$  meson,
- $\sigma$  completely dominates the  $\pi\pi$  threshold region,
- determines  $I_i$  constants needed in analyses of  $q\bar{q}$  condensate,
- crucial for FSI in e.g. heavy meson decays  $\longrightarrow$  CP violation, CKM matrix elements,
- difficult to study

## Decomposition of the $S_0$ -wave amplitude

$$\begin{aligned}1 + 1' &\longrightarrow f_0(500) \\2 + 2' &\longrightarrow f_0(980) \\3 + 3' &\longrightarrow f_0(1400)\end{aligned}$$



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# Measurement of $D_0 - \bar{D}_0$ Mixing Parameters in $D_0 \rightarrow K_S \pi^+ \pi^-$ Decays

PRL **99**, 131803 (2007)

PHYSICAL REVIEW LETTERS

week ending  
28 SEPTEMBER 2007

TABLE I. Fit results and 95% C.L. intervals for  $x$  and  $y$ , including systematic uncertainties. The errors are statistical, experimental systematic, and decay-model systematic, respectively. For the  $CPV$ -allowed case, there is another solution as described in the text.

Fit case	Parameter	Fit result	95% C.L. interval
No	$x(\%)$	$0.80 \pm 0.29^{+0.09+0.10}_{-0.07-0.14}$	(0.0, 1.6)
$CPV$	$y(\%)$	$0.33 \pm 0.24^{+0.08+0.06}_{-0.12-0.08}$	(-0.34, 0.96)
$CPV$	$x(\%)$	$0.81 \pm 0.30^{+0.10+0.09}_{-0.07-0.16}$	$ x  < 1.6$
	$y(\%)$	$0.37 \pm 0.25^{+0.07+0.07}_{-0.13-0.08}$	$ y  < 1.04$
	$ q/p $	$0.86^{+0.30+0.06}_{-0.29-0.03} \pm 0.08$	...
	$\arg(q/p)(^\circ)$	$-14^{+16+5+2}_{-18-3-4}$	...

events in the  $Q$  sideband  $3 \text{ MeV} < |Q - 5.9 \text{ MeV}| < 14.1 \text{ MeV}$ .

For the combinatorial background,  $\mathcal{P}_{\text{cmb}}$  is the product of Dalitz plot and decay-time PDFs. The latter is parameterized as the sum of a delta function and an exponential function convolved with a Gaussian resolution function. The timing and Dalitz PDF parameters are obtained from fitting events in the mass sideband  $30 \text{ MeV}/c^2 < |m_{K_S^0 \pi \pi} - m_{D^0}| < 55 \text{ MeV}/c^2$ .

The likelihood function for  $\bar{D}^0$  decays,  $\bar{\mathcal{L}}$ , has the same form as  $\mathcal{L}$ , with  $\mathcal{M}$  and  $\bar{\mathcal{M}}$  (appearing in  $\mathcal{P}_{\text{sig}}$  and  $\mathcal{P}_{\text{md}}$ ) interchanged. To determine  $x$  and  $y$ , we maximize the sum  $\ln \mathcal{L} + \ln \bar{\mathcal{L}}$ . Table I lists the results from two separate fits.

TABLE II. Fit results for Dalitz-plot parameters. The errors are statistical only.

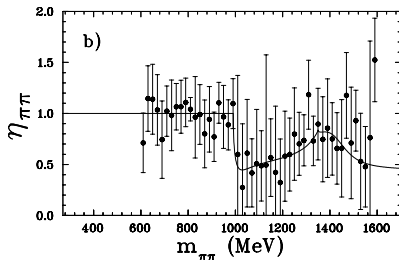
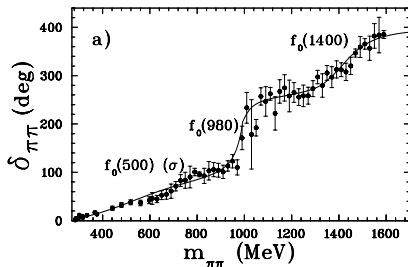
Resonance	Amplitude	Phase (deg)	Fit fraction
$K^*(892)^-$	$1.629 \pm 0.006$	$134.3 \pm 0.3$	0.6227
$K_0^*(1430)^-$	$2.12 \pm 0.02$	$-0.9 \pm 0.8$	0.0724
$K_2^*(1430)^-$	$0.87 \pm 0.02$	$-47.3 \pm 1.2$	0.0133
$K^*(1410)^-$	$0.65 \pm 0.03$	$111 \pm 4$	0.0048
$K^*(1680)^-$	$0.60 \pm 0.25$	$147 \pm 29$	0.0002
$K^*(892)^+$	$0.152 \pm 0.003$	$-37.5 \pm 1.3$	0.0054
$K_0^*(1430)^+$	$0.541 \pm 0.019$	$91.8 \pm 2.1$	0.0047
$K_2^*(1430)^+$	$0.276 \pm 0.013$	$-106 \pm 3$	0.0013
$K^*(1410)^+$	$0.33 \pm 0.02$	$-102 \pm 4$	0.0013
$K^*(1680)^+$	$0.73 \pm 0.16$	$103 \pm 11$	0.0004
$\rho(770)$	1 (fixed)	0 (fixed)	0.2111
$\omega(782)$	$0.0380 \pm 0.0007$	$115.1 \pm 1.1$	0.0063
$f_0(980)$	$0.380 \pm 0.004$	$-147.1 \pm 1.1$	0.0452
$f_0(1370)$	$1.46 \pm 0.05$	$98.6 \pm 1.8$	0.0162
$f_2(1270)$	$1.43 \pm 0.02$	$-13.6 \pm 1.2$	0.0180
$\rho(1450)$	$0.72 \pm 0.04$	$41 \pm 7$	0.0024
$\sigma_1$	$1.39 \pm 0.02$	$-146.6 \pm 0.9$	0.0914
$\sigma_2$	$0.267 \pm 0.013$	$-157 \pm 3$	0.0088
NR	$2.36 \pm 0.07$	$155 \pm 2$	0.0615

solution. From the fit to data, we find that the Dalitz plot parameters are consistent for the  $D^0$  and  $\bar{D}^0$  samples; hence we observe no evidence for direct  $CPV$ . Results for  $|p/q|$  and  $\arg(p/q)$ , parameterizing  $CPV$  in mixing and interference between mixed and unmixed amplitudes, respectively, are also found to be consistent with  $CP$ .

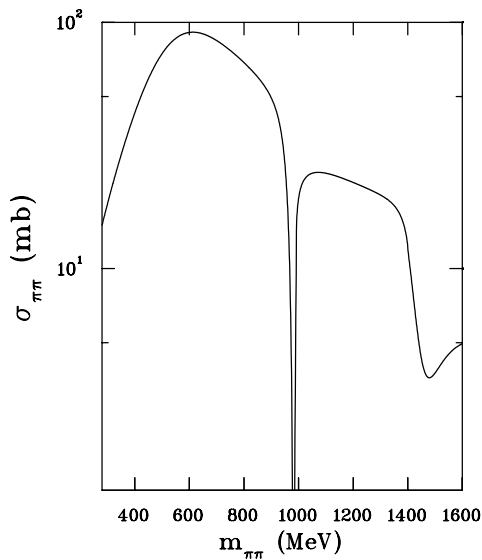
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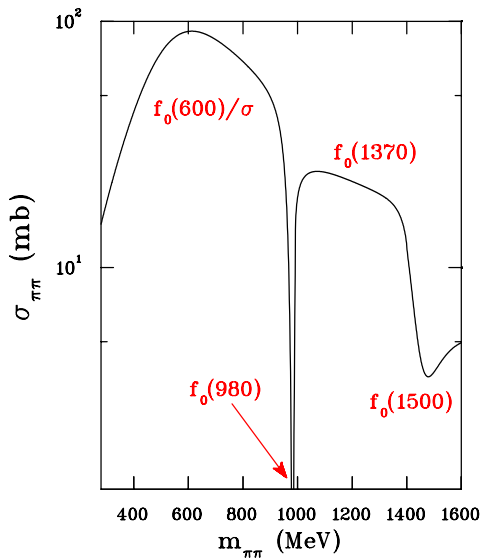
## $\pi\pi$ $S_0$ -wave phase shifts and inelasticities



## *Puzzling $S0$ wave $\pi\pi$ cross section*



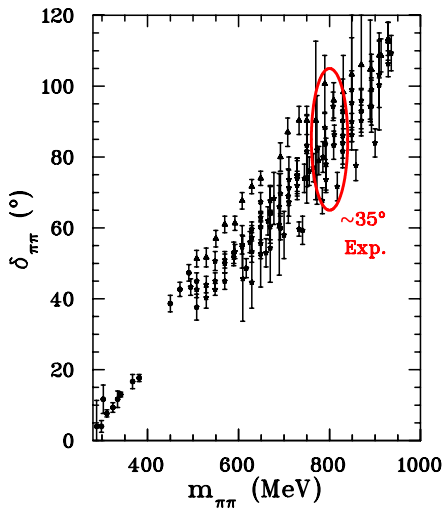
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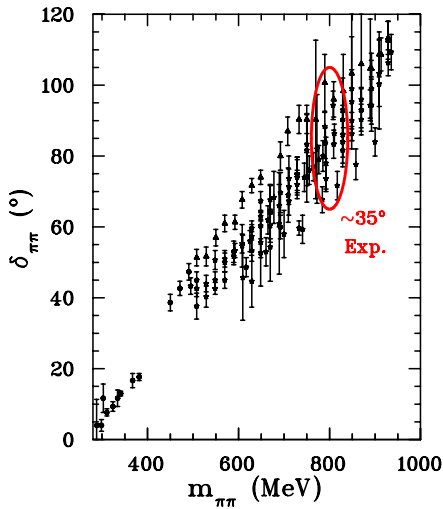


'70

GKPY dispersion equations with imposed



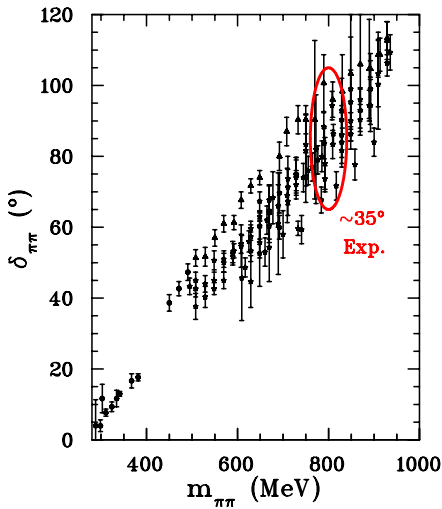
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GKPY dispersion equations with imposed crossing symmetry condition

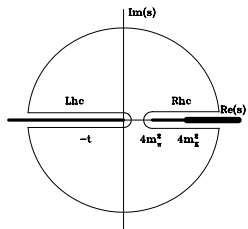
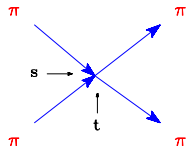
Madrid-Kraków group 2005-2011

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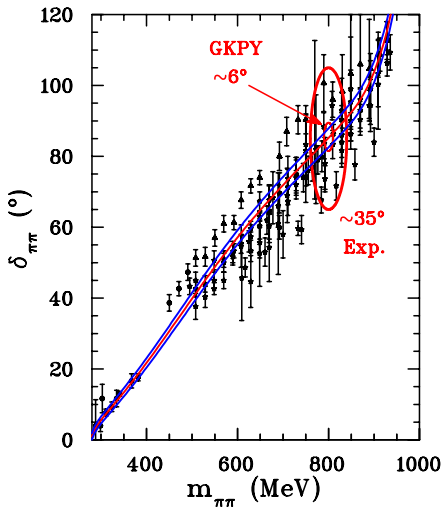


GKPY dispersion equations with imposed crossing symmetry condition

Madrid-Kraków group 2005-2011

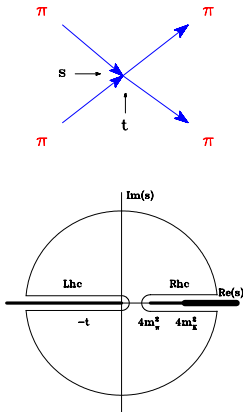


'70 → 2011



GKPY dispersion equations with imposed crossing symmetry condition

Madrid-Kraków group 2005-2011



# GKPY equations and poles of the $\pi\pi$ amplitudes

partial waves:  $JI$

experiment

**F1**

**D2**

**S0**

**D0**

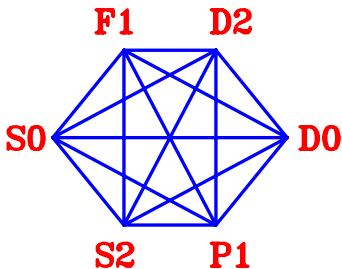
**S2**

**P1**

# GKPY equations and poles of the $\pi\pi$ amplitudes

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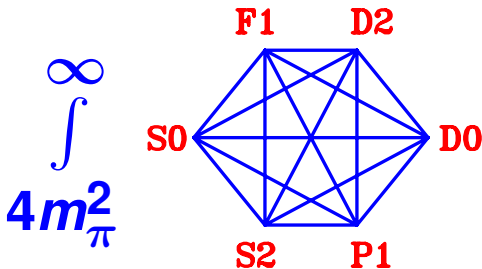
experiment + theory (GKPY)



# GKPY equations and poles of the $\pi\pi$ amplitudes

partial waves:  $Jl$

experiment + theory (GKPY)



## GKPY equations:

$$\text{Re } t_{\ell}^{l(OUT)}(s) = \sum_{l'=0}^2 C^{ll'} t_0^{l'(IN)}(4m_{\pi}^2) + \sum_{l'=0}^2 \sum_{\ell'=0}^4 \int_{4m_{\pi}^2}^{\infty} ds' K_{\ell\ell'}^{ll'}(s, s') \text{Im } t_{\ell'}^{l'(IN)}(s')$$



## GKPY equations:

$$\text{Re } t_{\ell}^{I(OUT)}(s) = \sum_{I'=0}^2 C^{II'} t_0^{I(IN)}(4m_{\pi}^2) + \sum_{I'=0}^2 \sum_{\ell'=0}^4 \int_{4m_{\pi}^2}^{\infty} ds' K_{\ell\ell'}^{II'}(s, s') \text{Im } t_{\ell'}^{I'(IN)}(s')$$

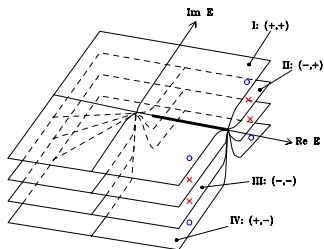
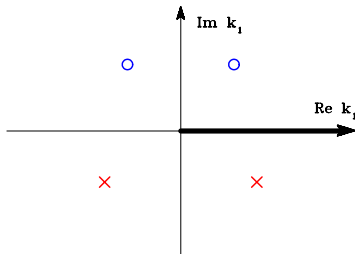
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$$\operatorname{Re} t_{\ell}^{I(OUT)}(s) = \operatorname{Re} t_{\ell}^{I(IN)}(s)$$

and poles of the  $\pi\pi$  amplitudes:



*We had to be: well equipped ...*



*We had to check everything ....*



*.. and sometimes we were without any idea ....*



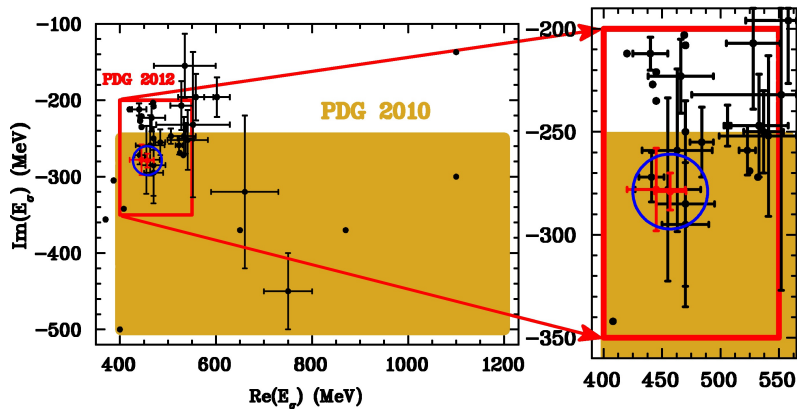
*sometimes we were misled ....*



*anyway we had to work very hard and finally were very tired ....*



$$M = \text{Re}(E_{\text{pole}}), \quad \Gamma = -2 \times \text{Im}(E_{\text{pole}})$$





## Before 2012

Since year 2012

Citation: C. Amsler *et al.* (Particle Data Group), PL **B667**, 1 (2008) and 2009 partial update for the 2010 edition (URL: <http://pdg.lbl.gov>)

$$f_0(600)$$
or  $\sigma$ 

$$I^G(J^{PC}) = 0^+$$

A REVIEW GOES HERE – Check our WWW

### $f_0(600)$ T-MATRIX POLE $\sqrt{s}$

Note that  $\Gamma \approx 2 \operatorname{Im}(\sqrt{s_{\text{pole}}})$ .

VALUE (MeV)	DOCUMENT ID	TECN
(400-1200)-i(250-500) OUR ESTIMATE		

• • • We do not use the following data for averages, fits, limits, et

$(455 \pm 6^{+31}_{-13}) - i(278 \pm 6^{+34}_{-43})$	1	CAPRINI	08	RVUE
$(463 \pm 6^{+31}_{-17}) - i(259 \pm 6^{+33}_{-34})$	2	CAPRINI	08	RVUE
$(552^{+84}_{-106}) - i(232^{+81}_{-72})$	3	ABLIKIM	07A	BES2
$(466 \pm 18) - i(223 \pm 28)$	4	BONVICINI	07	CLEO
$(484 \pm 17) - i(255 \pm 10)$		GARCIA-MAR.	07	RVUE
$(441^{+16}_{-8}) - i(272^{+9}_{-12.5})$	5	CAPRINI	06	RVUE
$(470 \pm 50) - i(285 \pm 25)$	6	ZHOU	05	RVUE
$(541 \pm 39) - i(252 \pm 42)$	7	ABLIKIM	04A	BES2
$(528 \pm 32) - i(207 \pm 23)$	8	GALLEGOS	04	RVUE
$(440 \pm 8) - i(212 \pm 15)$	9	PELAEZ	04A	RVUE
$(533 \pm 25) - i(247 \pm 25)$	10	BUGG	03	RVUE
$532 - i272$		BLACK	01	RVUE
$(470 \pm 30) - i(295 \pm 20)$	5	COLANGELO	01	RVUE

 $f_0(500)$  or  $\sigma$ 

was  $f_0(600)$

$I^G(J^{PC})$

A REVIEW GOES HERE – Check our

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VALUE (MeV) DOCUMENT ID

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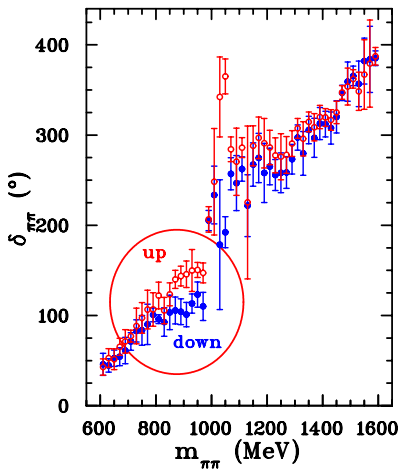
$(440 \pm 10) - i(238 \pm 10)$	1	ALBALADEJO	12
$(445 \pm 25) - i(278 \pm \frac{22}{18})$	2,3	GARCIA-MAR...	11
$(457 \pm \frac{14}{13}) - i(279 \pm \frac{11}{7})$	2,4	GARCIA-MAR...	11
$(442 \pm \frac{5}{8}) - i(274 \pm \frac{6}{5})$	5	MOUSSALLAM	11
$(452 \pm 13) - i(259 \pm 16)$	6	MENNESSIER	10
$(448 \pm 43) - i(266 \pm 43)$	7	MENNESSIER	10
$(455 \pm 6 \pm \frac{31}{13}) - i(278 \pm 6 \pm \frac{34}{43})$	8	CAPRINI	08
$(463 \pm 6 \pm \frac{31}{17}) - i(259 \pm 6 \pm \frac{33}{34})$	9	CAPRINI	08
$(552 \pm \frac{84}{106}) - i(232 \pm \frac{81}{72})$	10	ABLIKIM	07
$(466 \pm 18) - i(223 \pm 28)$	11	BONVICINI	07
$(472 \pm 30) - i(271 \pm 30)$	12	BUGG	07
$(484 \pm 17) - i(255 \pm 10)$	12	GARCIA-MAR...	07

## *Roy's equations and up-down ambiguity in the $\pi\pi$ $S0$ wave*

$$\text{Re } t_{\ell}^{I(OUT)}(s) = a_0^0 + (2a_0^0 - 5a_0^2)(s - 4) + \sum_{I'=0}^2 \sum_{\ell'=0}^4 \int_{4m_{\pi}^2}^{\infty} ds' \bar{K}_{\ell\ell'}^{II'}(s, s') \text{Im } t_{\ell'}^{I'(IN)}(s')$$

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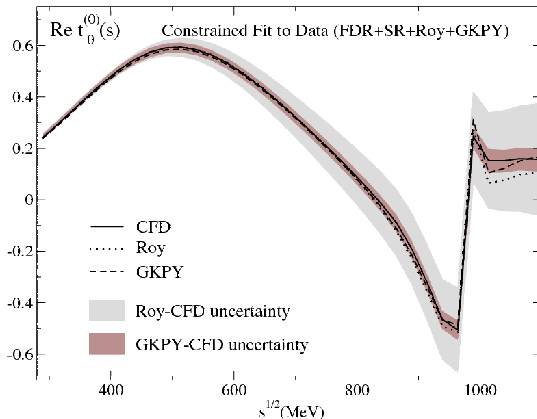


## *precision of the Roy and GKPY equations*

Roy' 1971	GKPY' 2011
<u>two</u> subtractions	<u>one</u> subtraction
$K_{\ell\ell'}^{II'}(s, s') \sim s'^{-3}$ -fast convergence	$K_{\ell\ell'}^{II'}(s, s') \sim s'^{-2}$
$ST_0^0 = a_0^0 + (2a_0^0 - 5a_0^2)(s - 4)$	$ST_0^0 = a_0^0 + 5a_0^2$ - no error propagation!

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## ... for sure your solution is not unique

Another group - **"Bern" group**:

H. Leytwyller, J. Gasser, G. Colangelo, I. Caprini ...

*The Role of the input in Roy's equations for  $\pi\pi$  scattering* G. Wanders, Eur. Phys. J. C17 (2000) 323-336

In the abstract:

*An updated survey of known results on the dimension of the manifold of solutions is presented. The solution is unique for a low energy interval with upper end at 800 MeV. We determine its response to small variations of the input: S-wave scattering lengths and absorptive parts above 800 MeV.*

I.e.:

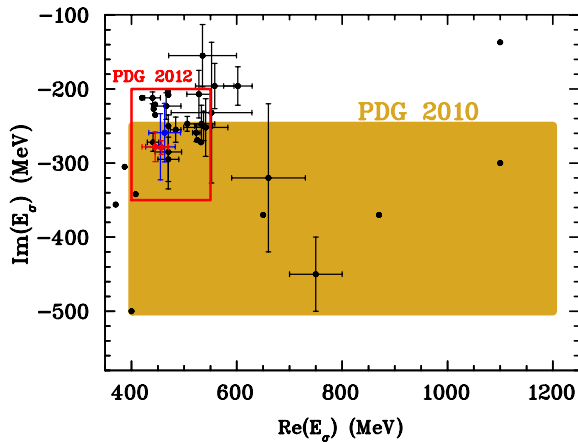
Fixed two boundary conditions for the  $\pi\pi$  amplitude:

- at the threshold (S0 wave scattering length) and
- at 800 MeV

*tiny error bands: common target*



*Bern and Madrid groups finally agreed ...*





# specific choice of the parameterization?

**Madrid:**  $\cot \delta_0^0 = \frac{\sqrt{s}}{2k} \frac{M_\pi^2}{s - \frac{1}{2} Z_0^2} [B_0 + B_1 w(s) + B_2 w(s)^2 + B_3 w(s)^3]$ ,  $w = \frac{\sqrt{s} - \sqrt{s_0 - s}}{\sqrt{s} + \sqrt{s_0 - s}}$

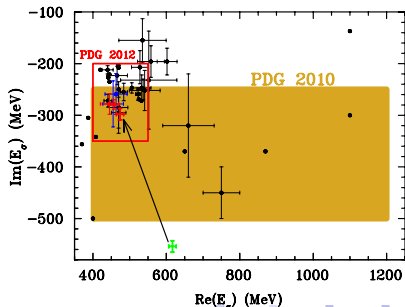
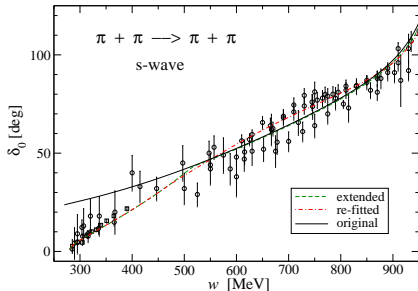
**Test amplitude:**  $T(s) \sim \prod_{i=1}^N [w(s) - w_i]$ ,  $w = \frac{\sqrt{s - s_2} + \sqrt{s - s_3}}{\sqrt{s_3 - s_2}}$

New low energy amplitude (up to  $\sim 400 - 500$  MeV):

$$Ref_\ell^I(s) = \frac{\sqrt{s}}{4k} \sin 2\delta_\ell^I = m_\pi k^2 [a_\ell^I + b_\ell^I k^2 + c_\ell^I k^4 + d_\ell^I k^6 + O(k^8)]$$

above  $\sim 400 - 500$  MeV - structure of amplitude not changed

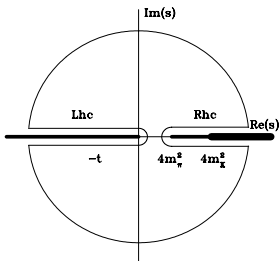
repeated fit to the data (not changed) + GKPY equations



## ... left cut is enough, we do not need GKPY ...

Left hand cut in parameterizations of amplitudes:

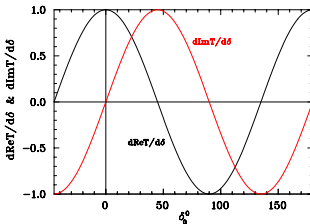
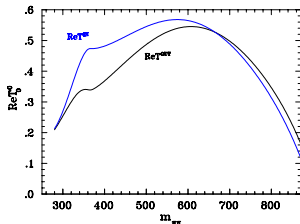
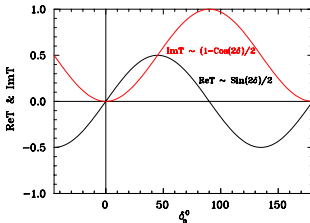
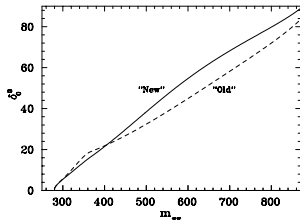
- additional factor  $e^{i\alpha}$  in the full  $S = e^{2i\delta}$  matrix element,
- It has, however, nothing to do with crossing symmetry!
  - It does not provide any type of relationship  $A(s, t) = C_{st}A(t, s)$ ,
  - Moreover, subtracting constant is not specified so the output amplitude can be arbitrarily scaled!
- it makes amplitude only more realistic



# what forces GKPY eqs to pull up-left the sigma pole?

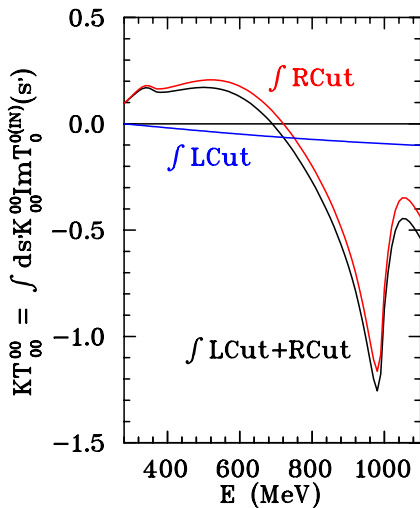
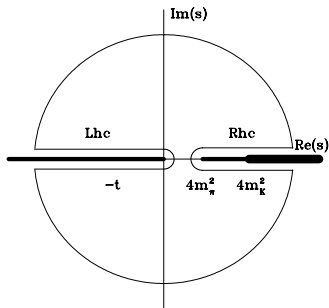
$$\text{Re } t_{\ell}^{I(OUT)}(s) = \sum_{I'=0}^2 C^{II'} t_0^{I'(IN)}(4m_{\pi}^2) + \sum_{I'=0}^2 \sum_{\ell'=0}^4 \int_{4m_{\pi}^2}^{\infty} ds' K_{\ell\ell'}^{II'}(s, s') \text{Im } t_{\ell'}^{I'(IN)}(s')$$

$$\text{Re } t_0^{0(OUT)}(s) = \text{Re } t_0^{0(IN)}(s)$$

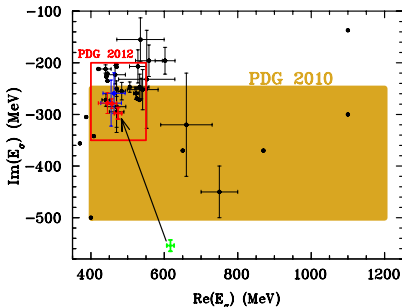


# What does lead to such shape of the $KT_{00}^{00}$ ?

The shape is given by coefficients in the crossing symmetry matrix  $C_{st}$  and integrated amplitudes. Is it produced by the integration along the left or right cut?



what forces GKPY eqs to pull up-left the sigma pole?



Two things: **trigonometry** and **crossing symmetry algebra** lead to narrower and lighter  $\sigma$ .

Nothing more and nothing instead of it is needed.

# What it really can be?

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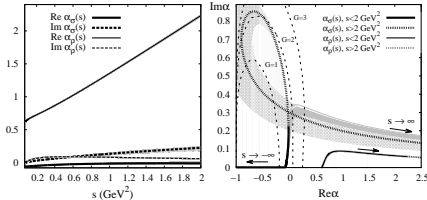


Fig. 1. (Left)  $\alpha_\rho(s)$  and  $\alpha_\sigma(s)$  Regge trajectories, from our constrained Regge-pole amplitudes. (Right)  $\alpha_\sigma(s)$  and  $\alpha_\rho(s)$  in the complex plane. At low and intermediate energies (thick continuous lines), the trajectory of the  $\sigma$  is similar to those of Yukawa potentials  $V(r) = -Ga \exp(-r/a)/r$  [8] (thin dashed lines). Beyond  $2 \text{ GeV}^2$  we plot our results as thick discontinuous lines because they should be considered just as extrapolations.

Furthermore, in Fig. 1 we show the striking similarities between the  $f_0(500)$  trajectory and those of Yukawa potentials in non-relativistic scattering [8]. From the Yukawa  $G=2$  curve in that plot, which lies closest to our result for the  $f_0(500)$ , we can estimate  $a \simeq 0.5 \text{ GeV}^{-1}$ , following [8]. This could be compared, for instance, to the S-wave  $\pi\pi$  scattering length  $\simeq 1.6 \text{ GeV}^{-1}$ . Thus it seems that the range of a Yukawa potential that would mimic our low energy results is comparable but smaller than the  $\pi\pi$  scattering length in the scalar isoscalar channel. Of course, our results are most reliable at low energies (thick continuous line) and the extrapolation should be interpreted cautiously. Nevertheless, our results suggest that the  $f_0(500)$  looks more like a low-energy resonance of a short range potential, *e.g.* between pions, than a bound state of a confining force between a quark and an antiquark.

In summary, our formalism and the results for the  $f_0(500)$  explains why the lightest scalar meson has to be excluded from the ordinary linear Regge fits of ordinary mesos.

*"The non-ordinary Regge behavior of the  $f_0(500)$  meson"*

by

J. R. Pelaez, J. T. Londergan,  
J. Nebreda and A. Szczepaniak

arXiv:1404.6058



# Conclusions

- the  $\sigma$  meson is once again alive and is doing well!
- for sure  $\sigma$  is not pure  $q\bar{q}$  meson but perhaps:
  - mixture of the  $q\bar{q}$ ,  $qq\bar{q}\bar{q}$  and  $gg$  components,
  - something like "correlated two-pion" state?
- opens a promising area for new analyses, especially for the  $f_0(980)$ ,  $f_0(1500)$  ...,
- should help end the debate about the existence of the  $f_0(1370)$ ,
- it should help in precise determination of the CKM matrix elements and in the fight against the isobar model and old habits related with resonances